Solving a 300 kDa multimeric protein by low-resolution MAD phasing and averaging/phase extension

**F. Xavier Gomis-Rüth* and
Miquel Coll**

Institut de Biologia Molecular de Barcelona, CSIC, c/Jorda Girona 18-26, E-08034 Barcelona, Spain

Correspondence e-mail: xgrcri@ibmb.csic.es

The structure of the conjugative coupling protein TrwBΔN70 from *Escherichia coli* plasmid R388 was solved using two crystal forms. This large multimeric membrane protein of 437 residues per monomer is involved in cell-to-cell single-strand DNA transfer. Diffraction data to 2.4 Å were available from trigonal crystals obtained from ammonium sulfate and to 2.5 Å from monoclinic crystals grown from tartrate. A single tantalum bromide ($Ta_6Br_{12}^{2+}$) derivative of the trigonal form, which presented a protein hexamer with $C6$ local symmetry in the asymmetric unit, was used in a three-wavelength MAD experiment to achieve 4.5 Å resolution for initial phases. Sixfold averaging and phase extension increased the effective phasing resolution and eventually produced a straightforwardly traceable electron-density map. The monoclinic structure was solved by molecular replacement, *i.e.* a hexamer of the trigonal form was used as a search model. Two such hexamers are present in the asymmetric unit.

1. Introduction

The main issue in protein crystallography is the determination of phases for the measured structure-factor amplitudes. The most widely used technique for novel structures has historically been isomorphous replacement, which consists of the introduction of atoms or ions with high scattering power into the otherwise unchanged crystal lattice, yielding detectable changes in the intensities of the diffraction patterns. This technique is susceptible to non-isomorphism between the crystal lattices of the native compound and the heavy-ion/atom derivative prepared. However, the use of multi-wavelength anomalous diffraction (MAD), which has increased with the availability of wavelength-tuneable synchrotron beam time and the emergence of crystal cryo-cooling techniques, has reduced this problem (González *et al.*, 1999; Terwilliger, 1997).

Although experimental approaches have been developed to incorporate modified amino acids containing 'heavy-atom' scatterers [mainly selenomethionine (Budisa *et al.*, 1995; Doublié, 1997)] into proteins efficiently, a large or small number of methionine residues in the asymmetric unit of crystals of large macromolecular assemblies hinders detection or renders poor phasing power, respectively. Conventional derivative preparation may also fail, since heavy ions/atoms are not easily localized within large cells owing to the excessive number of sites. In these cases, bulky ionic clusters of high scattering power can be useful and detectable using low-resolution data.

This is valid for tantalum bromide ($Ta_6Br_{12}^{2+}$), a regular octahedron of a 4.3 Å radius, successfully employed in a

number of structural analyses (Knäblein *et al.*, 1997). This compound introduces significant changes in the diffraction pattern of large unit cells and is formed of ions with absorption edges both with significant anomalous signals appropriate for MAD experiments and energies that can be reached at most tunable synchrotron beamlines (L_{III} edge at 1.25 Å for Ta, K edge at 0.95 Å for Br). It displays an intrinsic deep green colour that indicates putative derivatization. If the cluster does not adopt a unique conformation in the crystal lattice, the exact position of the 18 constituting ions is not determinable and so the derivative has to be treated as a single point scatterer. In these cases, the useful phasing high-resolution limit seems to be 6 Å (Knäblein *et al.*, 1997).

We applied this derivatizing agent to solve the structure of a soluble variant of TrwB, a basic (pI = 10) integral membrane plasmid protein encoded by the *dtr* region of *E. coli* plasmid R388 made up of 507 residues (Llosa *et al.*, 1994; Moncalián *et al.*, 1999). Sequence analysis localized the transmembrane part in the first 70 N-terminal residues (two transmembrane helices and a small periplasmic domain in between). Therefore, TrwB was overproduced and purified as a soluble fragment lacking these residues (TrwBΔN70).

Here, we report the crystallization and the detailed structure determination protocol of 437-residue TrwBΔN70 by MAD and subsequent averaging/phase extension.

2. Methods

2.1. Purification, crystallization and derivative preparation

TrwBΔN70, produced by overexpression and purified as described in Moncalián *et al.* (1999), was provided by G. Moncalián and F. de la Cruz. The protein was crystallized by the hanging-drop vapour-diffusion method using Linbro plates and Hampton Research Screens to obtain initial conditions.

The best conditions consisted of equivolumetric drops (4 µl:4 µl) of protein solution (9 mg ml^{-1}) and 1.5 *M* ammonium sulfate, 0.1 *M* NaCl, 0.1 *M* HEPES pH 7.5 as precipitant agent solution, which yielded well shaped trigonal crystals belonging to space group $P3_121$ (unit-cell parameters $a = b = 151.3$, $c = 258.2$ Å). In parallel, when 0.9 *M* potassium/sodium tartrate, 0.1 *M* HEPES pH 7.5 was used as precipitant, the same trigonal crystals appeared in the drops together with a second, monoclinic ($P2_1$) crystal form (unit-cell parameters $a = 107.4$, $b = 153.4$, $c = 162.5$ Å, $\beta = 94.2°$; see Fig. 1). Some of the monoclinic crystals presented a second, smaller monoclinic cell (unit-cell parameters $a = 95.2$, $b = 155.8$, $c = 104.7$ Å, $\beta = 113.1°$). N-terminal sequencing and mass spectrometry of carefully washed and dissolved crystals revealed the expected molecular weight and sequence. Prior to data collection, cryoprotecting strategies consisted of stepwise increasing amounts of glycerol (5–20%; crystals obtained from ammo-
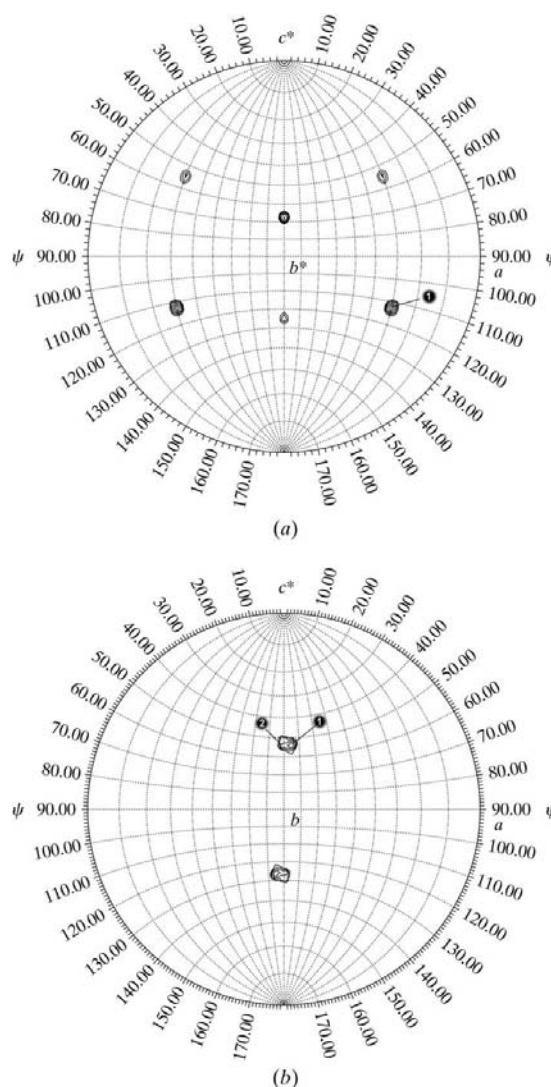

Figure 1
Crystallization drop obtained from high tartrate concentration giving rise to trigonal (upper) and monoclinic (lower) crystals simultaneously.

Figure 2
Self-rotation plots corresponding to section $\kappa = 60°$, as deduced from *GLRF* (Tong, 1993) for (*a*) trigonal and (*b*) monoclinic data. The values are $\Psi = 112$, $\Phi = 30$, $\kappa = 60°$ for 1 in (*a*) and $\Psi = 54$, $\Phi = 85$, $\kappa = 60°$ for 1 and $\Psi = 54$, $\Phi = 91°$, $\kappa = 60°$ for 2 in (*b*).

Table 1
Data collection and processing.

Data set	Native sulfate complex	Native	Ta$_6$Br$_{12}^{2+}$ (f''_{max})	Ta$_6$Br$_{12}^{2+}$ (f'_{min})	Ta$_6$Br$_{12}^{2+}$ (remote)
Space group	$P3_121$	$P2_1$	$P3_121$		
Unit-cell parameters (Å,°)	$a = b = 151.3$	$a = 107.4$	$a = b = 151.2$, $c = 262.8$		
	$c = 258.2$	$b = 153.4$			
		$c = 162.5$			
		$\beta = 94.2$			
Wavelength λ (Å)	0.844	1.053	1.254	1.255	0.827
No. of measurements	1205165	728622	260537	317859	317424
No. of unique reflections	133904	176179	57492	61615	67261
Whole resolution range† (Å)	72.6–2.40	50.0–2.50	48.8–3.13	48.8–3.13	49.4–3.00
Completeness (%)	99.9	97.3	93.1	99.7	95.8
Anomalous completeness (%)	—	—	77.5	91.1	89.3
R_{merge}‡ (%)	5.7	5.4	9.1	7.5	6.9
Average intensity [$I/\sigma(I)$]	9.0	9.9	3.7	6.8	5.5
Last resolution shell (Å)	2.53–2.40	2.64–2.50	3.32–3.13	3.32–3.13	3.13–3.00
Completeness (%)	99.6	90.0	60.3	99.1	72.0
Anomalous completeness (%)	—	—	28.0	89.9	44.5
R_{merge}‡ (%)	28.1	16.9	33.1	39.7	30.3
Average intensity [$I/\sigma(I)$]	2.6	4.3	2.3	1.9	2.5
B factor (Wilson) (Å^2)	46.0	51.3	61.9	69.5	70.0
Average multiplicity	9.0	4.1	4.5	5.2	4.7
$R_{anomalous}$§	—	—	10.3	6.6	5.8
R_{deri}¶	—	—	7.4	Reference	8.5

† The high-resolution data collection was limited by the diameter of the detector and the large cell constants.
‡ $R_{merge} = [\sum_{hkl} \sum_i |I_i(hkl) - \langle I(hkl)\rangle|/\sum_{hkl} \sum_i I_i(hkl)] \times 100$, where I_i is the ith measurement of reflection $I(hkl)$.
§ $R_{anomalous} = \sum_{hkl} |\langle I(hkl)\rangle - \langle I(\overline{hkl})\rangle|/\sum_{hkl} [\langle I(hkl)\rangle + \langle I(hkl)\rangle]$. ¶ $R_{deri} = \sum_{hkl} ||F_{PH}| - |F_P||/\sum_{hkl} |F_P|$ with respect to the data set chosen as a reference (f'_{min}).

nium sulfate) or ethylene glycol (5–25%; crystals produced with tartrate as precipitating agent) in mother liquor were followed. The trigonal crystals diffract to better than 2.4 Å resolution and display a series of sulfate anions complexed with the protein, as revealed by the final refined structure (Gomis-Rüth *et al.*, 2001). This structure will be referred to hereafter as the 'native sulfate complex' (see Table 1). The Matthews parameter (Matthews, 1968) suggested the presence of 4–8 monomers in the asymmetric unit (a.u.). Monoclinic crystals (termed 'native'; see Table 1) diffracted as well as the trigonal ones and were initially proposed to harbour 10–12 protomers in the a.u. A tantalum bromide (Ta$_6$Br$_{12}^{2+}$) derivative was obtained by soaking native crystals overnight in a mother-liquor solution containing 5–10 mM Ta$_6$Br$_{14}$.

2.2. Data collection and processing

Complete diffraction data sets were collected from a single N$_2$-cryocooled (Oxford Cryosystems) crystal on 345 mm MAR Research imaging plate, 165 mm MAR CCD and ADSC Quantum4 CCD detectors at EMBL beamlines X31 and BW7A/B (Outstation Hamburg, DESY, Germany) and ID14-2/4 (ESRF, Grenoble, France). In particular, for a MAD experiment using the Ta$_6$Br$_{12}^{2+}$ derivative, the same range of 90° ($\Delta\Phi = 1.25°$) around one rotation axis (as determined by the strategy option of *MOSFLM* v. 6.01; Leslie, 1991) was collected at a resolution of 3.1 Å (see Table 1) at three wavelengths corresponding to the absorption maximum (1.254 Å), the inflection point (1.255 Å) and a hard remote (0.827 Å). These values had been determined from a XANES

fluorescence spectrum around the theoretical Ta L_{III} edge recorded from the crystal to be measured. All data were processed with *MOSFLM* and scaled, merged and reduced with *SCALA* (Evans, 1993; Table 1).

2.3. Data analysis, structure solution and refinement

Self-rotation calculations were performed with ncode = 1 using data in the 10–3.5 Å range and a vector radius of 37 Å with the program *GLRF* (Tong, 1993). The orthogonalization convention chosen was AXABZ (Tong, 1993). Initial cluster sites were determined with *XPREP*/ *SHELXS* from the *SHELX*97 suite (Sheldrick, 1997; Sheldrick *et al.*, 1993; Sheldrick & Schneider, 1997) using the data corresponding to the three-wavelength MAD experiment. A high-resolution cutoff of 6 Å, which allowed each cluster site to be considered as a single point scatterer, was applied. The three reduced data sets were prepared with *XPREP* and dispersive and anomalous sharpened difference Patterson maps were calculated. The program produced a unique reduced ΔF-like data set which allowed us to determine three cluster positions by *SHELXS* that were consistent with the Patterson maps. These positions were refined and phases were calculated using *MLPHARE* (Collaborative Computational Project, Number 4, 1994). Three further positions were ascertained by means of dispersive and anomalous difference Fourier syntheses with these initial phases. Density modification was calculated with *DM* (Cowtan & Main, 1996) and masks with *MAMA* (Kleywegt & Jones, 1999). Electron-density syntheses were inspected and models built on a Silicon Graphics Workstation using the program *TURBO-FRODO* (Roussel & Cambilleau, 1989). Model refinement and computation of σ_A-weighted (Read, 1986) (phased combined) maps were performed with the program suite *CNS* v. 1.0 (Brunger *et al.*, 1998). Molecular replacement was performed with *AMoRe* (Navaza, 1994).

2.4. Miscellaneous

Structures were superimposed with *TURBO-FRODO* (Roussel & Cambilleau, 1989), *LSQKAB* from the *CCP*4 suite (Collaborative Computational Project, Number 4, 1994) and *LSQMAN* from the *RAVE* package (Uppsala Software Factory; http://alpha2.bmc.uu.se/~gerard/manuals). Electron-density figures were prepared with *TURBO-FRODO*.

Table 2
MAD phasing statistics.

Data set	$Ta_6Br_{12}^{2+}$ (f''_{max})		$Ta_6Br_{12}^{2+}$ (f'_{min})		$Ta_6Br_{12}^{2+}$ (remote)	
	Occ.	Anom. occ.	Occ.†	Anom. occ.	Occ.	Anom. occ.
Heavy ion cluster sites‡§						
0.546, 0.181, 0.650	0.28	3.56	0.0	1.63	0.50	1.22
0.792, 0.279, 0.535	0.29	4.50	0.0	2.04	0.45	1.45
0.204, 0.966, 0.807	0.24	2.91	0.0	1.33	0.41	1.01
0.287, 0.701, 0.293	0.10	1.35	0.0	0.60	0.16	0.45
0.243, 0.641, 0.744	0.09	1.19	0.0	0.53	0.19	0.42
0.105, 0.374, 0.419	0.06	0.73	0.0	0.37	0.11	0.31
Resolution range used for phasing (Å)			40–4.5			
Mean figure of merit (f.o.m.)¶			0.63			
Phasing power (acentric)††		1.31		—		1.70
R_{cullis} (acentric)‡‡		0.79		—		0.72
R_{cullis} (anomalous)		0.75		0.81		0.87

Initial NCS operators.

R1	1.000	0.000	0.000	0.000	1.000	0.000	0.000	0.000	1.000	T1	0.000	0.000	0.000
R2	0.828	0.110	0.549	−0.479	0.648	0.593	−0.291	−0.754	0.589	T2	−109.250	−86.281	126.448
R3	0.462	−0.297	0.836	−0.885	−0.099	0.454	−0.053	−0.950	−0.309	T3	−135.357	−11.008	307.368
R4	0.798	−0.532	−0.283	0.131	0.612	−0.780	0.588	0.585	0.558	T4	88.409	168.896	40.839
R5	0.447	−0.894	−0.014	−0.288	−0.129	−0.949	0.847	0.428	−0.315	T5	63.131	251.493	213.698
R6	0.255	−0.795	0.550	−0.771	−0.510	−0.380	0.583	−0.327	−0.744	T6	−46.980	171.308	342.633

Refined NCS operators.

R1	1.000	0.000	0.000	0.00000	1.000	0.000	0.000	0.000	1.000	T1	0.000	0.000	0.000
R2	0.814	0.118	0.568	−0.507	0.622	0.598	−0.283	−0.775	0.566	T2	−112.505	−84.725	131.903
R3	0.445	−0.271	0.854	−0.895	−0.137	0.423	0.001	−0.953	−0.304	T3	−139.019	−1.852	304.090
R4	0.814	−0.508	−0.282	0.118	0.620	−0.776	0.569	0.598	0.564	T4	86.013	168.227	40.000
R5	0.445	−0.895	0.003	−0.271	−0.138	−0.953	0.854	0.423	−0.304	T5	59.561	251.682	211.616
R6	0.259	−0.778	0.571	−0.778	−0.518	−0.353	0.571	−0.353	−0.741	T6	−52.974	166.684	344.194

† The data set at the inflection point (f'_{min}) was taken as reference. ‡ Fractional cell coordinates. § Occupancy and anomalous occupancy are on arbitrary scales. ¶ f.o.m. = $|F(hkl)_{best}|/|F(hkl)|$, with $F(hkl)_{best} = \sum_\alpha P(\alpha)F_{hkl}(\alpha)/\sum_\alpha P(\alpha)$. †† Phasing power = r.m.s.$(|F_H|/E)$, where E is the residual lack of closure. ‡‡ $R_{cullis} = \sum_{hkl} ||F_{PH} \pm F_P| - F_H(calc)|/\sum_{hkl} |F_{PH} - F_H|$.

3. Results and discussion

3.1. Self-rotation calculations

The putatively high number of protomers in the asymmetric units of both crystal types suggested high-order local symmetry. Indeed, self-rotation calculations indicated a local sixfold axis at polar angles $\Psi = 30$, $\Phi = 112$, $\kappa = 60°$ (height 4.0σ) for the trigonal crystals and $\Psi = 54$, $\Phi = 85$, $\kappa = 60°$ (6.5σ) and $\Psi = 54$, $\Phi = 91$, $\kappa = 60°$ (6.2σ) for monoclinic data. At the same orientation, the associated twofold and threefold axes appeared as the only additional peaks. These results are consistent with the presence of six monomers displaying local $C6$ symmetry (hexamer) in the trigonal a.u. and two hexamers in the monoclinic a.u. (see Fig. 2). Accordingly, a putative selenomethionine derivative of TrwB would have entailed localizing 60 selenium sites (ten methionine residues per protomer, see TrEMBL access code Q04230) in the trigonal form or 120 in the monoclinic space group. Although this is not an impossible task with the methods available currently, it remains complicated.

3.2. Initial phasing

In order to determine the initial phases, a MAD experiment was performed with the $Ta_6Br_{12}^{2+}$ derivative of the trigonal crystal form. The intense green colour of the soaked (initially transparent and colourless) crystals contrasted with the pale colouring of the drops and was the first evidence of derivatization. Three data sets were recorded after determination of the appropriate wavelengths to optimize the anomalous signal. A total of six sites were found and refined and phases were computed for the resolution range 40–4.5 Å; the overall mean figure of merit (f.o.m.; definition in Table 2) was 0.63 (see Table 2). However, these sites did not follow the local $C6$ symmetry found with the self-rotation function calculation (see Fig. 3a). Although the whole cluster was treated as a single point scatterer, this figure was lower but still significant in the 5.1–4.5 Å (0.49) resolution shell, in contrast to the reported limit of usefulness of 6 Å (Knäblein et al., 1997).

3.3. Density modification, averaging and phase extension

A subsequent density-modification step (35–4.5 Å; f.o.m. = 0.79) assuming a solvent content of 59% (six molecules per a.u.) rendered an F_{obs} electron density that was not traceable (see Fig. 3a) but allowed us to build a monomer mask because the protomer boundaries were clearly visible. A molecule of similar size to TrwBΔN70 (procarboxypeptidase A, see Gomis-Rüth et al., 1995) was initially fitted into the density. This operation was repeated for each monomer to determine

(a)

(b)

(c)
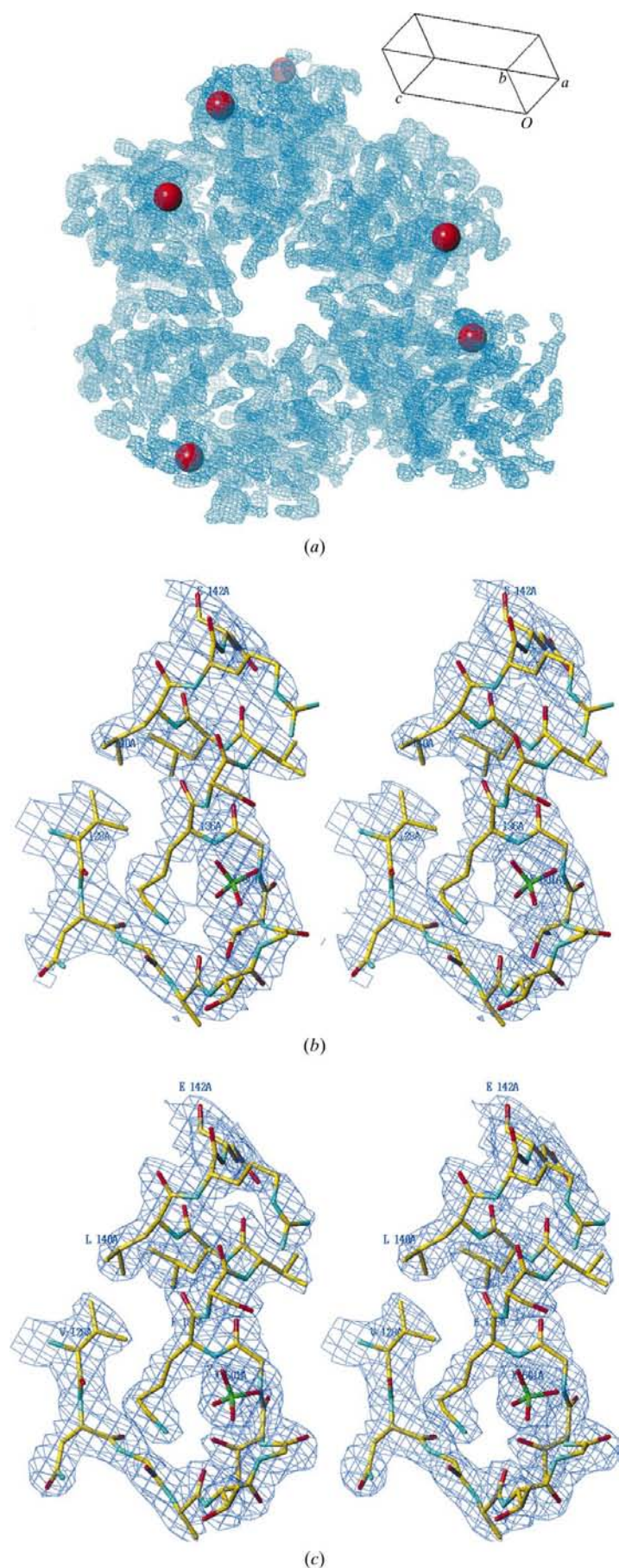
preliminary parameters for the local sixfold axis and the associated approximate non-crystallographic symmetry (NCS) operators (see Table 2). These values were consistent with self-rotation calculations (see above). A second density-modification step with density averaging and phase extension under refinement of these NCS operators increased the fom to 0.75 (50–3.0 Å). An inspection of the electron density around each cluster site revealed an almost spherical blob that hindered the precise determination of the position of the 18 constituting ions. Thus, phasing using the full resolution of the $Ta_6Br_{12}^{2+}$-derivatized crystal could not be applied. The refined NCS operators were used in the last step: the original experimental MAD phases to 4.5 Å were directly used with the native sulfate complex structure-factor amplitudes and a last density-modification step was performed under averaging, phase extension and NCS-operator refinement starting at 5 Å resolution and finally encompassing the 50–2.7 Å resolution range (final overall f.o.m. = 0.67; see Table 2). Although the trigonal cells of the native sulfate complex and the derivative displayed a noteworthy anisomorphism (c = 258.2 *versus* 262.2 Å, a difference of 1.8%; see Table 1), this effect was not significant at 5 Å resolution, at which averaging and phase extension started. At this point, a straightforward traceable map was obtained (see Fig. 3b).

The electron density was interpreted and a starting model was built. Successive cycles of maximum-likelihood positional and temperature-factor refinement progressively using all data to the full resolution of 2.4 Å, NCS restraints, computation of phased-combined maps and manual modelling led to gradual completion of the model (see Figs. 3b and 3c). The refined model has been discussed elsewhere (Gomis-Rüth *et al.*, 2001).

3.4. Molecular replacement to localize 40 000 atoms in the monoclinic native asymmetric unit and monoclinic crystal ambiguity

The native structure of the monoclinic crystal form was solved using data in the 15–4.5 Å resolution range by molecular replacement, which confirmed $P2_1$ as the correct space group. A whole TrwBΔN70 hexamer was used as a searching model and two clear solutions were obtained at α = 97.9, β = 141.8, γ = 293.6°, x = 0.2398, y = −0.0001, z = 0.4666 and α = 86.3, β = 145.2, γ = 340.7°,

Figure 3
Electron-density maps corresponding to the trigonal crystal form. (*a*) Initial F_{obs} density contoured at 2σ calculated with experimental phases using data to 4.5 Å resolution after density modification but prior to averaging, viewed along the local sixfold axis. Red spheres denote the position of the six heavy-ion cluster sites. The unit cell displayed in the upper right corner orientates the C6 macromolecule cluster. (*b*) Interpretable F_{obs} density contoured at 1.2σ computed using experimental phases after density modification, averaging and phase extension to 2.7 Å. (*c*) Final σ_A-weighted (Read, 1986) $2F_{obs} - F_{calc}$ type map (1.2σ contour) to 2.4 Å resolution. The latter two maps further display the final refined model superimposed on the density as sticks.
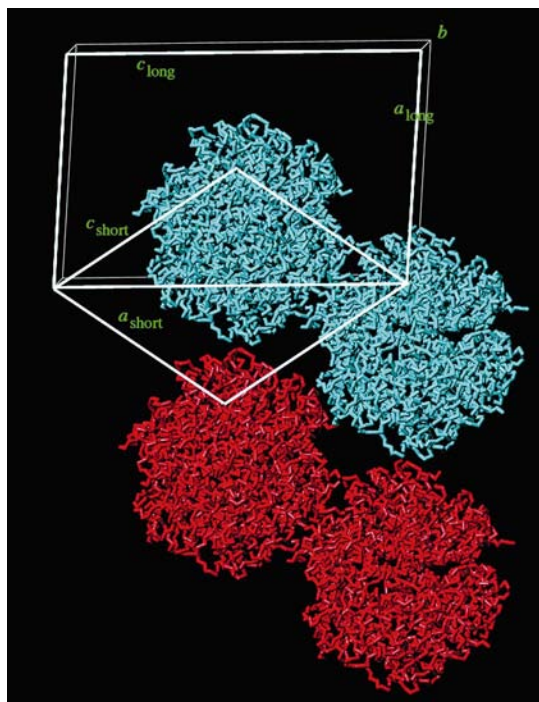
Figure 4
Monoclinic ambiguity. Monoclinic crystals randomly presented two cells (see §3.4). The transformation of the two molecules present in the large-cell asymmetric unit corresponds to a rotation of 8° and a translation of 93 Å. In the small unit cell, this rotation is reduced to a pure cell translation and both molecules belong to different unit cells.

x = 0.7450, y = 0.9884, z = 0.9687 (where α, β and γ are Eulerian angles and x, y and z are in fractional cell coordinates) after 'fiting' [CC/R_{factor} (for definition, see Navaza, 1994) equal to 67.4%/36.3%; second highest solution 41.2%/47.1%; calculated after positioning and rigid-body refinement of both hexamers]. This agrees with the presence of 12 monomers arranged as two hexamers per a.u. The model was inspected and the new electron-density-based differences with the trigonal structure were corrected. The structure has been described elsewhere (Gomis-Rüth *et al.*, 2001).

The two hexamers in the monoclinic a.u. are related by a quasi-pure (local) translation of 93 Å and a slight relative rotation of 8°, in agreement with the two close peaks found with the self-rotation calculation (see §3.1), just separated by 6° in Φ. This finding explains why some monoclinic crystals presented a smaller cell with unit-cell parameters a = 95.2, b = 155.8 Å, c = 104.7 Å, β = 113.1° and therefore only one hexamer per a.u. This small unit cell is related to the large one in such a way that the a and c axes of the latter are the diagonals of the former, with equivalent b axes (see Fig. 4). The two hexamers found in the large monoclinic cell would be interconnected by one cell translation along the a axis in the short-cell crystals.

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